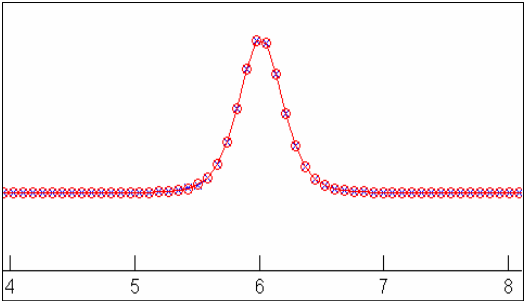


# Selected Slides from Presentation at Scandpower (Norway)

Title Slide

## Pseudospectral Numerical Methods for Modelling of Waves in Pipe Flow

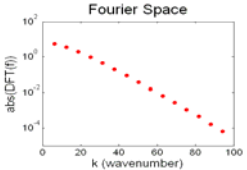
**Håvard Holmås**  
Scandpower Petroleum  
Technology  
September 27, 2006



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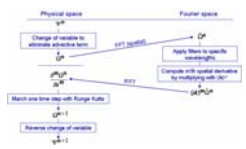
Mapping Slide

## This presentation briefly explains pseudospectral methods and their advantages

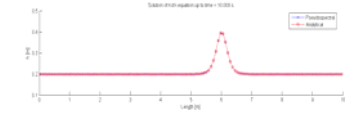


Fourier Space

### Introduction to the Discrete Fourier Transform (DFT)



### Main concepts of pseudo-spectral numerical methods



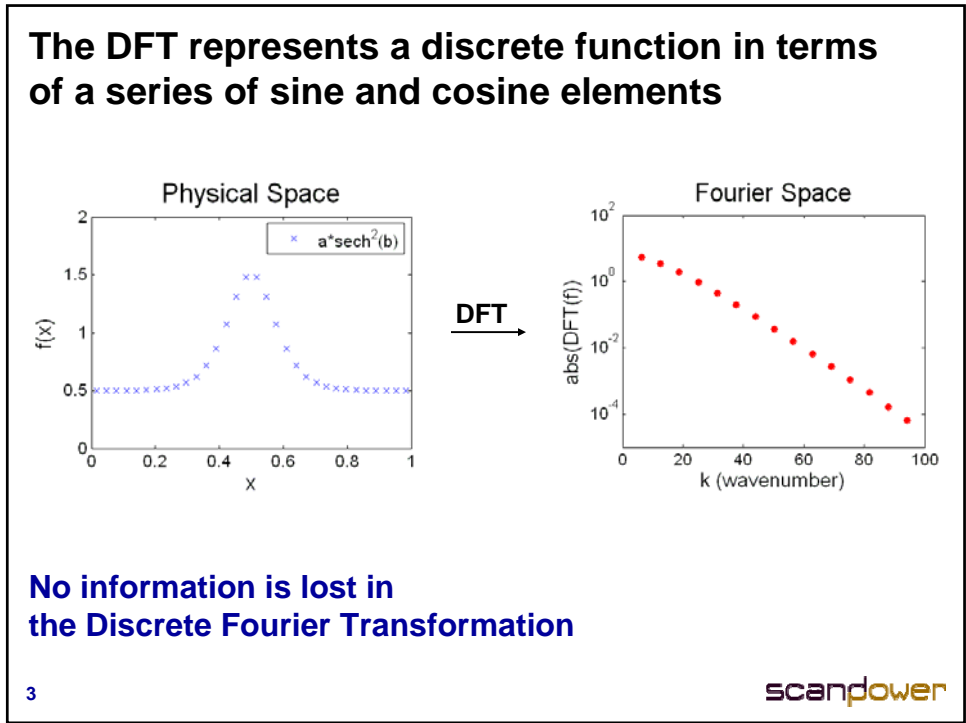
Numerical simulation of KdV equation

### Numerical simulation of KdV equation

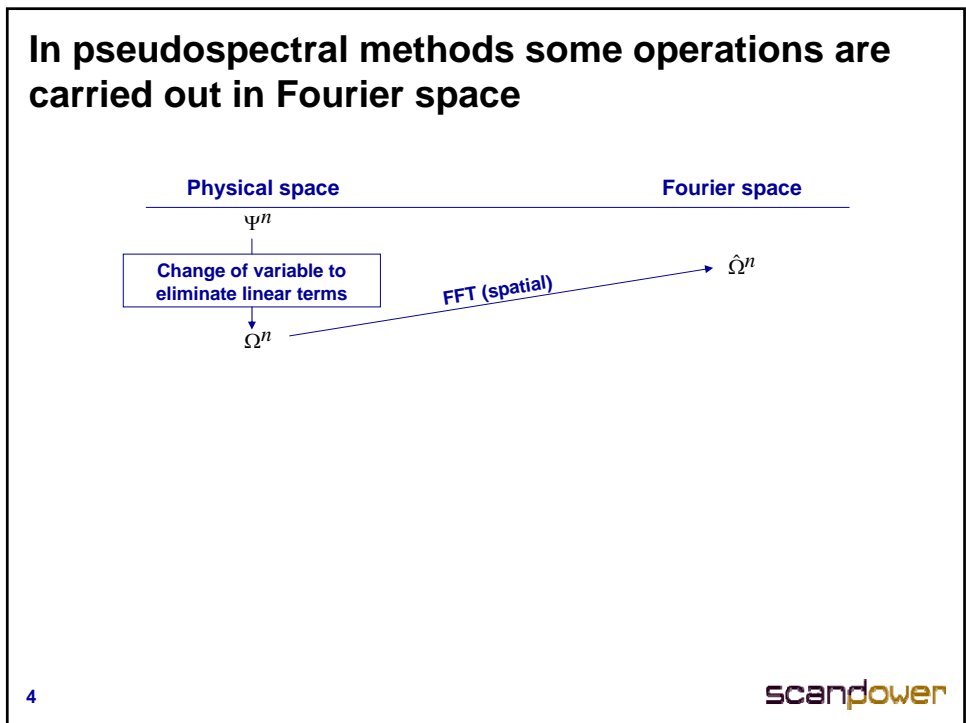
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# Selected Slides from Presentation at Scandpower (Norway)

Slide from Section 1

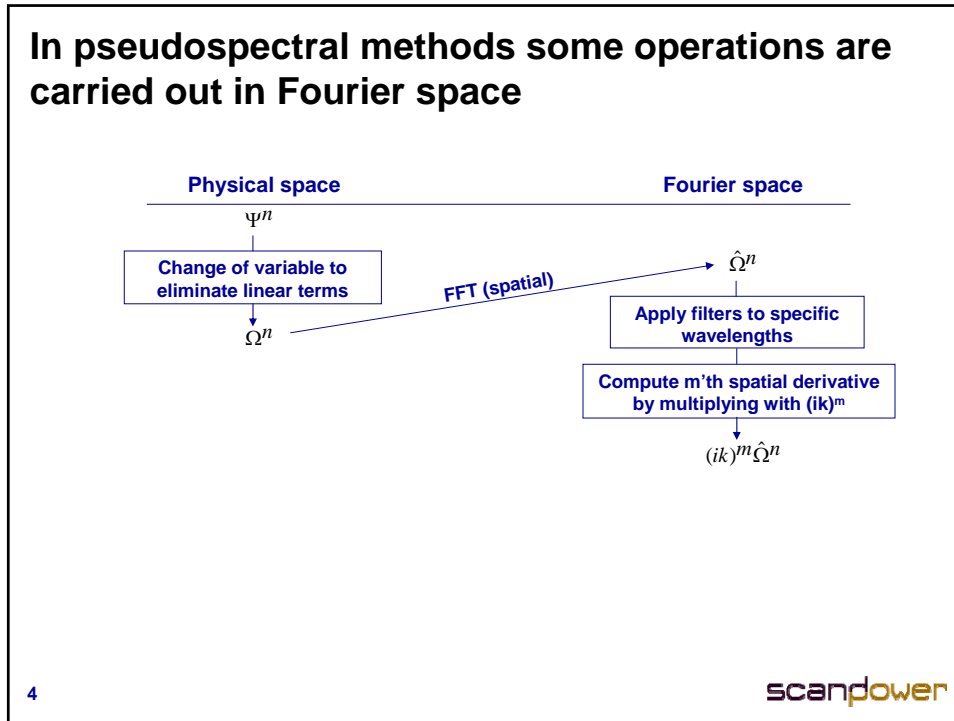


Slide from Section 2 (animation)

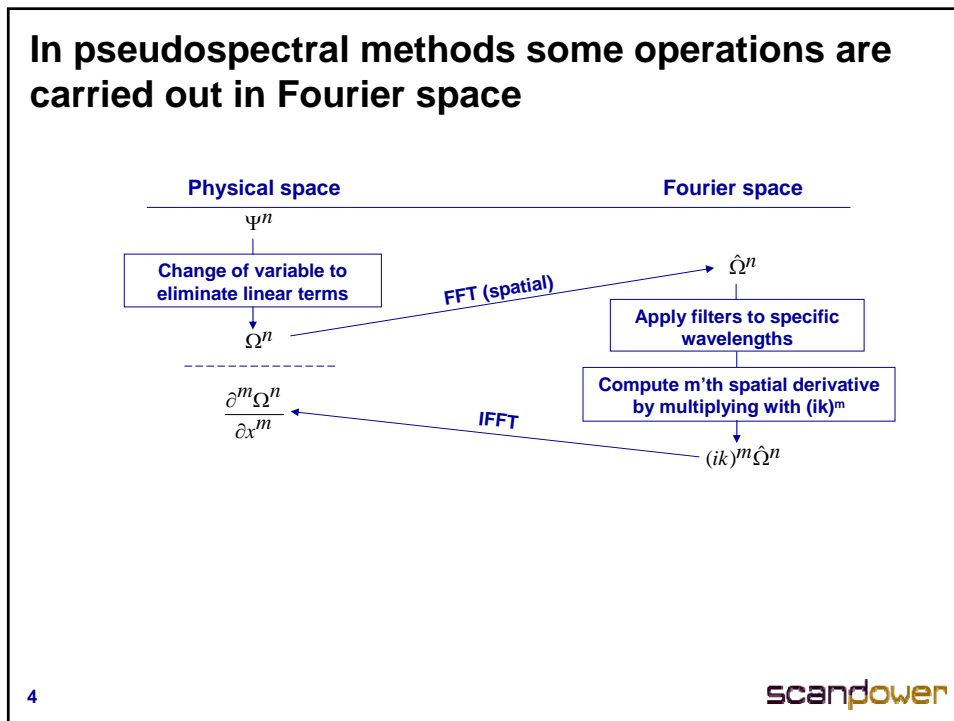


# Selected Slides from Presentation at Scandpower (Norway)

Slide from Section 2 (animation)

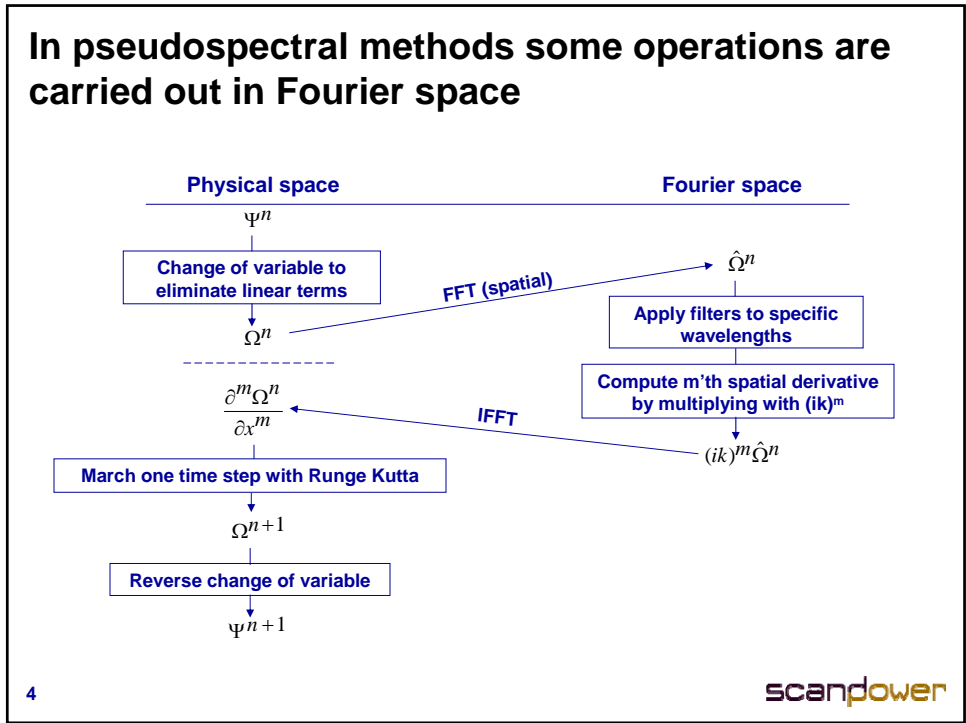


Slide from Section 2 (animation)



# Selected Slides from Presentation at Scandpower (Norway)

Slide from Section 2 (animation)



Slide from Section 3 (animation)

**The numerical diffusion is significantly reduced compared to common Finite Volume Methods (FVM)**

**Numerical simulation of KdV equation**

$$\eta_t + c_0 \eta_x + \frac{3c_0}{4h_0} (\eta^2)_x + \frac{c_0 h_0^2}{6} \eta_{xxx} = 0$$

1. 1st order backward discretization

The plot shows the numerical solution (1st order backward) and the analytic solution for the KdV equation. The x-axis is labeled "Length [m]" and the y-axis is labeled "h". The analytic solution is a smooth curve, while the 1st order backward solution shows significant numerical diffusion, resulting in a much wider and lower peak.

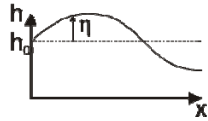
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# Selected Slides from Presentation at Scandpower (Norway)

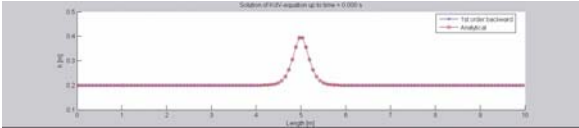
Slide from Section 3 (animation)

**The numerical diffusion is significantly reduced compared to common Finite Volume Methods (FVM)**

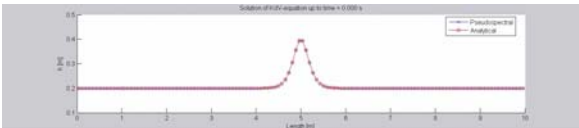
**Numerical simulation of KdV equation**

$$\eta_t + c_0 \eta_x + \frac{3c_0}{4h_0} (\eta^2)_x + \frac{c_0 h_0^2}{6} \eta_{xxx} = 0$$


- 1st order backward discretization**



- Pseudospectral discretization**

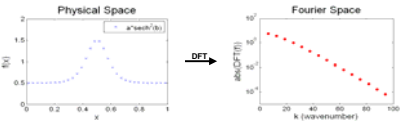


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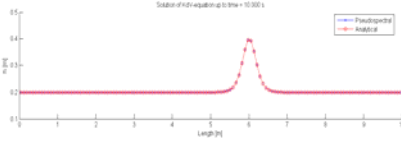
Conclusion Slide

**In summary, pseudospectral methods appear very promising as a tool for simulation of waves**

**Build on the Discrete Fourier Transformation**



**Reduce numerical diffusion compared to FVMs**



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Questions?